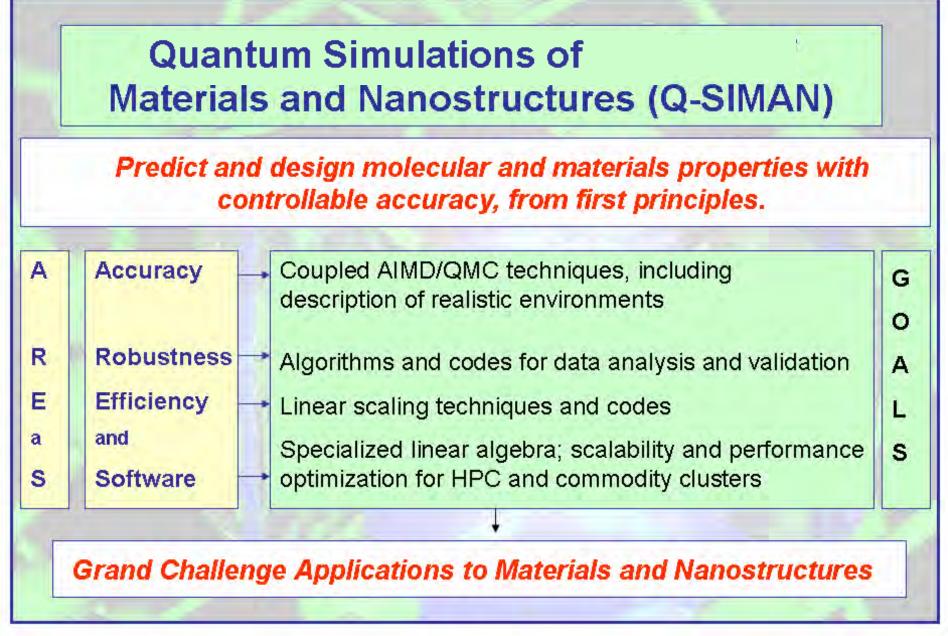
Quantum Simulations of Materials and Nanostructures

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Collaborators: Z.Bai, F.Gygi and W.Pickett, UCD; W. Cai, Stanford U.; D.Ceperley, UIUC; N.Marzari, MIT; N.Spaldin, UCSB; E.Schwegler and J.-L.Fattebert, LLNL.

ASCAC Meeting, Nov. 6th, 2007

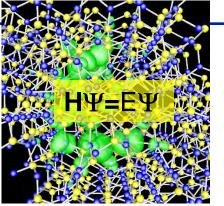


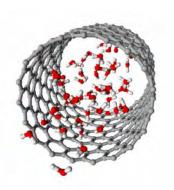




Predictive modeling with controllable accuracy: a microscopic view in a nutshell

• We solve approximate form of the Schroedinger equation describing electronelectron and electron-ion interactions in molecules, condensed systems and nanostructures – no input from experiment.





- We couple our electronic structure description to statistical mechanical techniques to describe finite temperature properties and various thermodynamic conditions- *ab-initio* Molecular Dynamics; Monte Carlo
- We devise strategies and algorithms to compute 'complex' properties in realistic environments; this encompasses:

theoretical, algorithmic and software developments



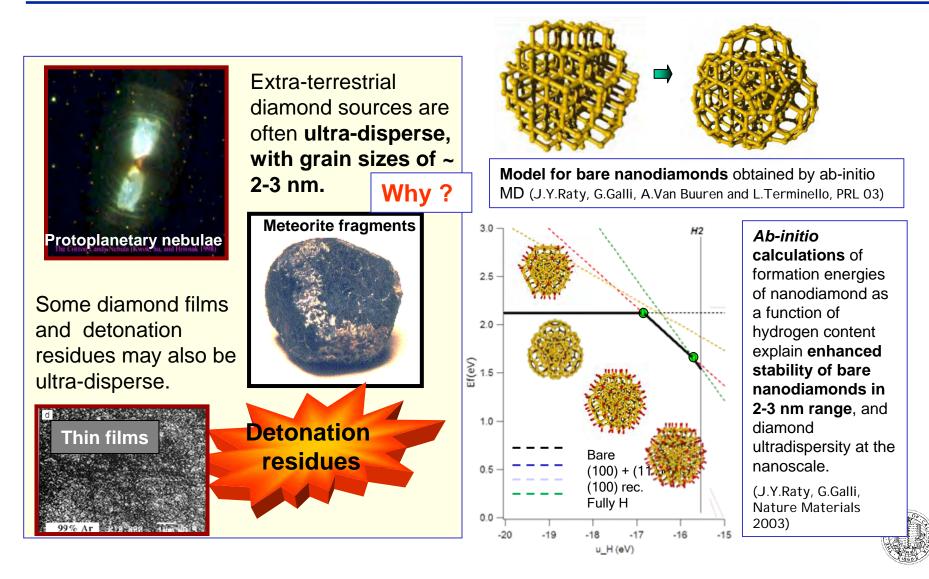


Outline

- Is computational materials science any good? Any promising progress?
 - —A couple of examples
 - Validation
 - Impact
- Our strategy for predictive computations —On different fronts, in parallel
- Some grand challenge applications

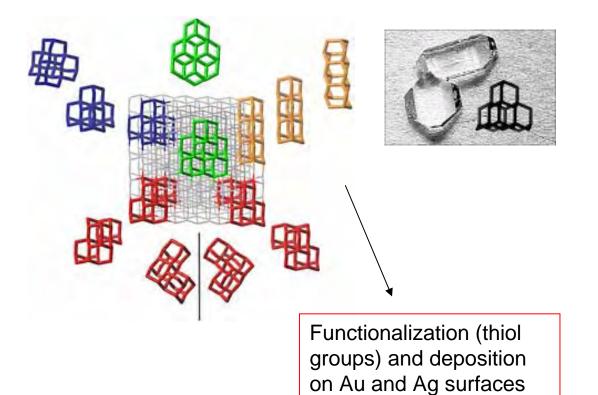


Terrestrial and extra-terrestrial ultradisperse diamond





Hydrogenated diamond clusters (diamondoids) found in oil



Chevron-Stanford project, 2006-

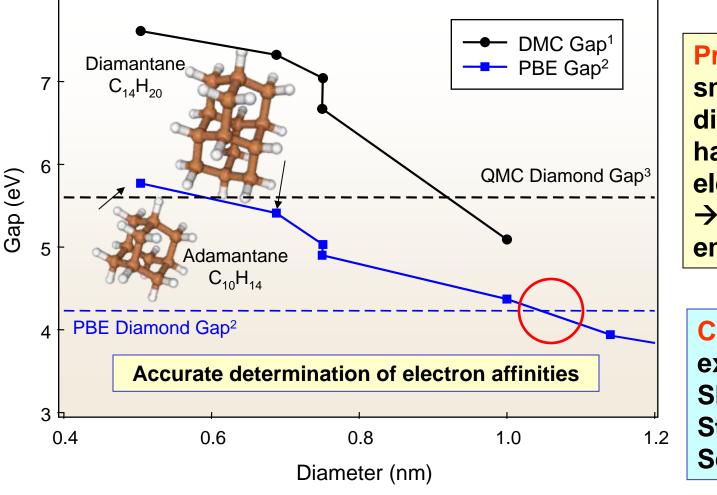


STM images of tetramantane: M.Crommie et al. (UCB,COINS)





Optical properties of diamondoids



Prediction: small diamondoids have negative electron affinity → electron emitters

Confirmed by experiments: Shen's group, Stanford, Science, 2007

[1] N. Drummond, A.Williamson, R.Needs and G.Galli, PRL 2005

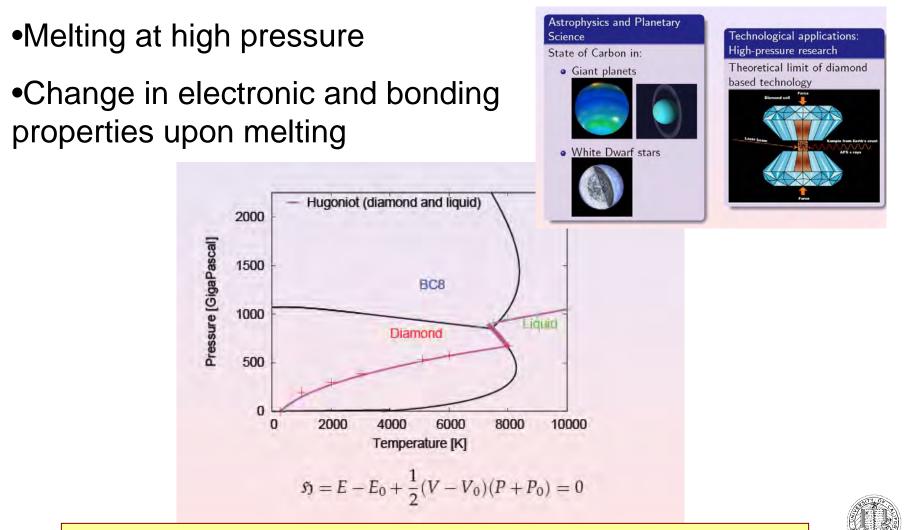
[2] J.-Y. Raty, G. Galli, C. Bostedt, T. W. van Buuren, and L.J. Terminello, Phys. Rev. Lett., 90, 037401 (2003)

[3] M. Towler, R.Q. Hood and R.J. Needs, Phys. Rev. B, 62, 2330 (2000)

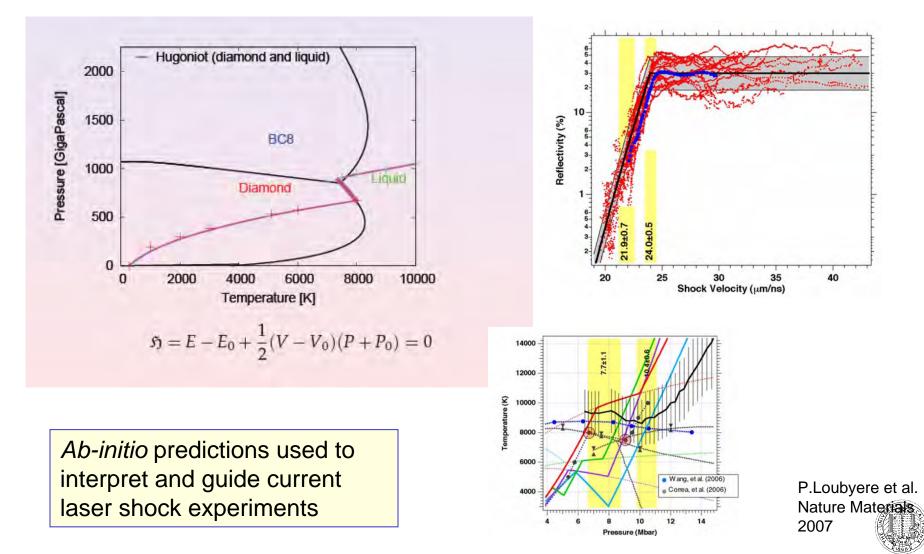




High pressure phase diagram of carbon predicted by *ab-initio* molecular dynamics

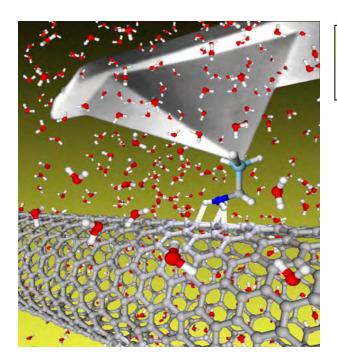


Recent shock experiments confirmed slope of diamond melting line and metallization upon melting





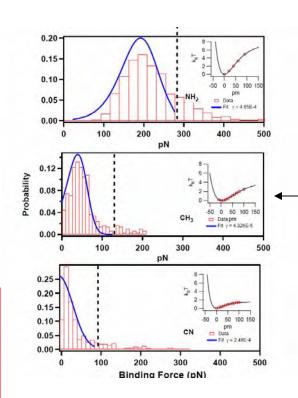
Single molecule interaction with Carbon Nanotubes



Nature Nanotec. 2007

Theory helped interpret and design experiments

Solvent effects on AFM measurements



Comparison with experiment in the presence of solvent





Outline

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 Ves!
 - —A couple of examples
 - Validation
 - Impact





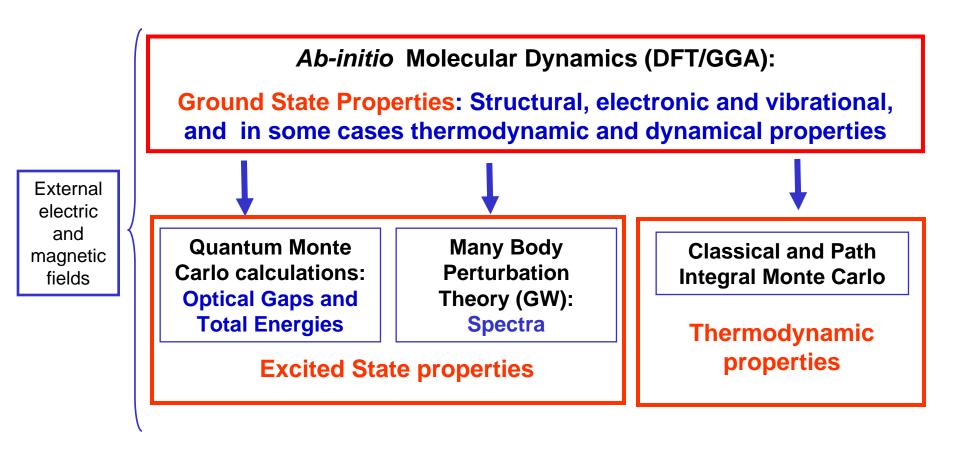
Outline

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Predictive modeling with controllable accuracy





Ab-initio Molecular Dynamics (DFT/GGA):

Ground State Properties: Structural, electronic and vibrational, and in some cases thermodynamic and dynamical properties

Solve set of N coupled, non linear partial differential equations self-consistently, using iterative algorithms, subject to orthonormality constraints. N = # of electrons

$$\begin{cases} -\Delta \varphi_i + V(\rho, \mathbf{r}) \varphi_i = \varepsilon_i \varphi_i & i = 1...N_{el} \\ V(\rho, \mathbf{r}) = V_{ion}(\mathbf{r}) + \int \frac{\rho(\mathbf{r}')}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r}' + V_{XC}(\rho(\mathbf{r}), \nabla \rho(\mathbf{r})) \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & Plane-wave basis sets and pseudopotentials \\ \int \varphi_i^*(\mathbf{r}) \varphi_j(\mathbf{r}) d\mathbf{r} = \delta_{ij} & The cost of solving the Kohn-Sham equations is eventually dominated by orthogonalization (O(N^3)) \end{cases}$$

Ab-initio Molecular Dynamics (DFT/GGA):

Ground State Properties: Structural, electronic and vibrational, and in some cases thermodynamic and dynamical properties

Optimization of 10⁶ to 10⁹ degrees of freedom for 10⁴ to 10⁶ time steps

$$\begin{cases} -\Delta \varphi_i + V(\rho, \mathbf{r}) \varphi_i = \varepsilon_i \varphi_i & i = 1...N_{el} \\ V(\rho, \mathbf{r}) = V_{ion}(\mathbf{r}) + \int \frac{\rho(\mathbf{r}')}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r}' + V_{XC}(\rho(\mathbf{r}), \nabla \rho(\mathbf{r})) \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 & \text{Plane-wave basis sets and} \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_i(\mathbf{r})|^2 &$$

Focus on optimized Kohn-Sham solvers, reduced scaling algorithms and data compression

Petascale architectures

Gygi

Optimization of 10⁶ to 10⁹ degrees of freedom for 10⁴ to 10⁶ time steps

$$\begin{cases} -\Delta \varphi_{i} + V(\rho, \mathbf{r})\varphi_{i} = \varepsilon_{i}\varphi_{i} & i = 1...N_{el} \\ V(\rho, \mathbf{r}) = V_{ion}(\mathbf{r}) + \int \frac{\rho(\mathbf{r}')}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r}' + V_{XC}(\rho(\mathbf{r}), \nabla \rho(\mathbf{r})) \\ \rho(\mathbf{r}) = \sum_{i=1}^{N_{el}} |\varphi_{i}(\mathbf{r})|^{2} \\ \int \varphi_{i}^{*}(\mathbf{r}) \varphi_{j}(\mathbf{r}) d\mathbf{r} = \delta_{ij} \end{cases}$$
Optimized Solvers: Z.Bai and F.Gygi;
Reduced scaling algorithms: F.Gygi and J.-
L.Fattebert; Data compression: F.Gygi

(*) Gordon-**Bell Award** 2006. F.Gygi et al.

Qbox



A Subspace Bisection Algorithm for Electronic Structure Data Compression

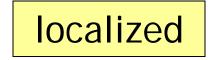
- The size of electronic structure data grows as O(N²)
- Goal: Compressing electronic structure data while preserving accuracy
- A compression algorithm based on the CS decomposition was tested on (H₂O)₅₁₂ and a 304-atom CNT
- A compression ratio of 4.0 ((H₂O)₅₁₂) and 2.7 (CNT) can be achieved
- We are developing a recursive version of the algorithm to achieve higher compression ratios

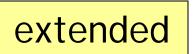
The Subspace Bisection algorithm reduces I/O volume and restart file size on large-scale parallel platforms

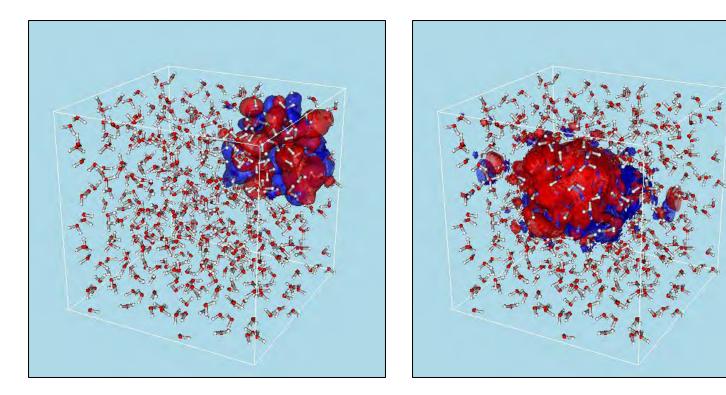




(H₂O)₅₁₂ states after bisection



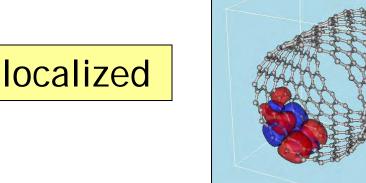


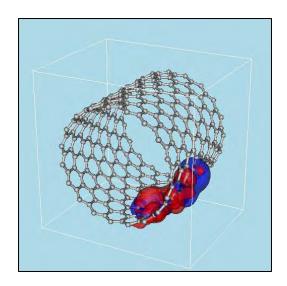




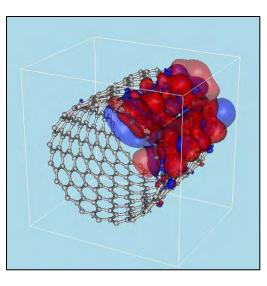


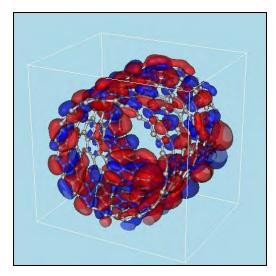
CNT(19x0) states after bisection







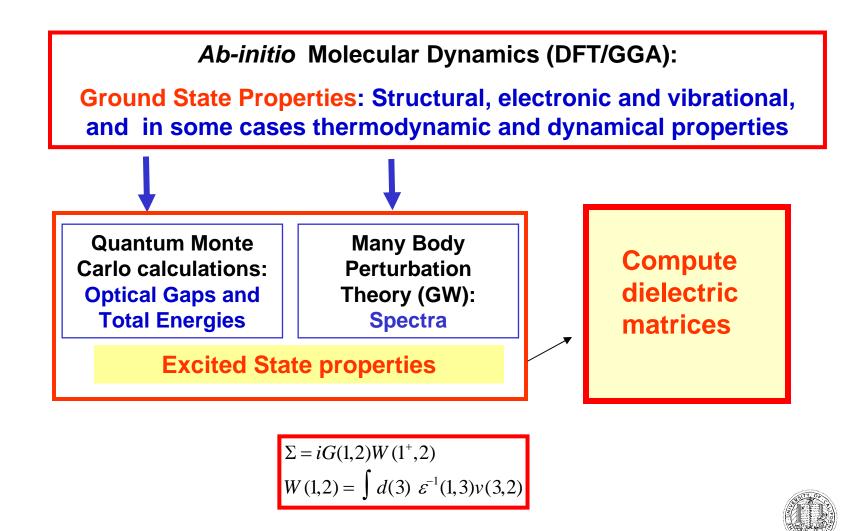




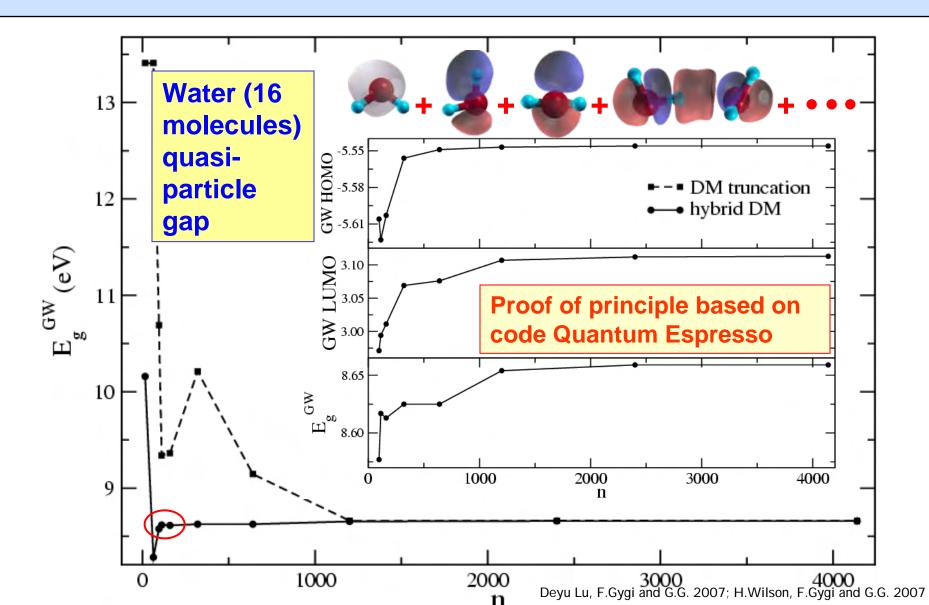




Predictive modeling with controllable accuracy

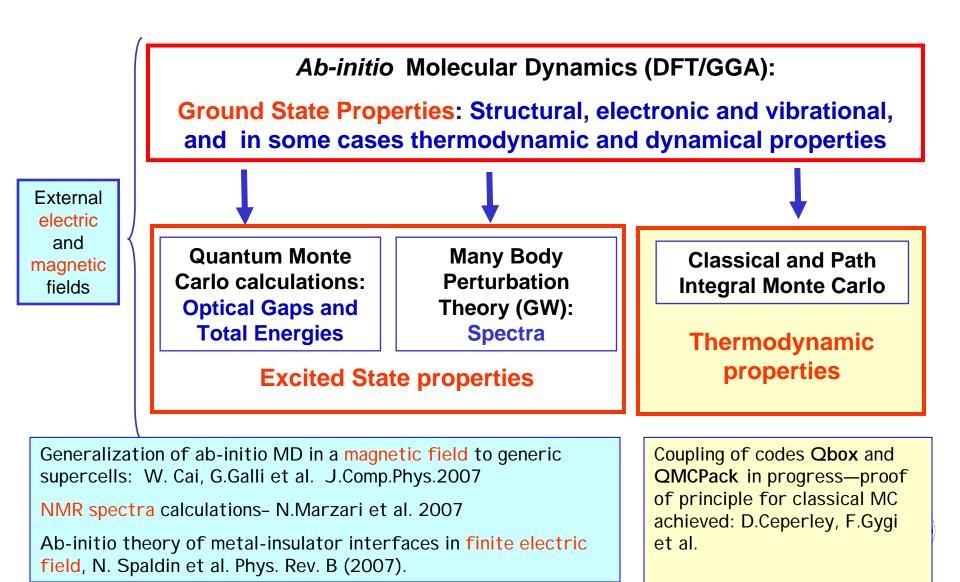


GW energy gap from approximate, yet accurate and non-empirical dielectric matrices





Predictive modeling with controllable accuracy

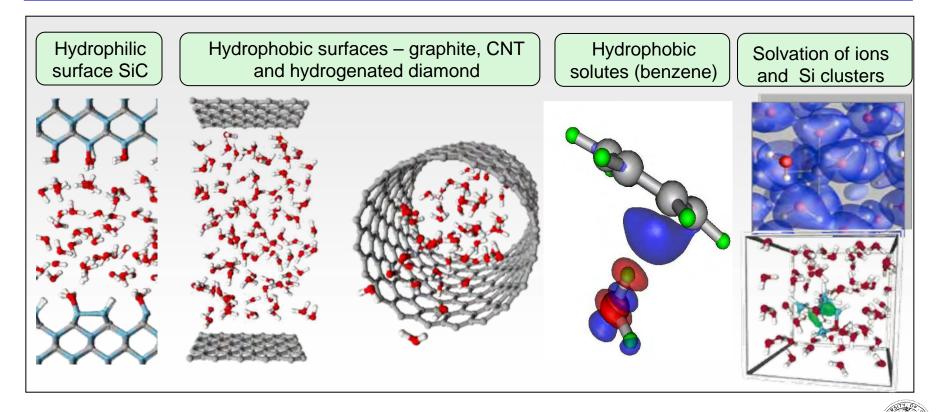


Water at the interface

Å

•We are studying water in different environments: from small ion and Si quantum dot solvation to wetting of surfaces in extended and confined media.

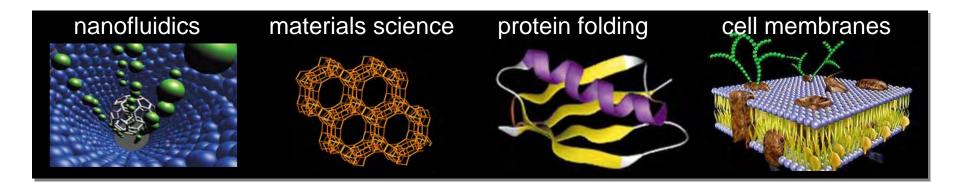
•We address fundamental issues regarding the atomic, electronic and dynamical properties of interfacial water.



D.Prendergast et al., JACS 2004; G.Cicero, J.Grossman, A.Catellani and G.G., JACS 2005; M.Allesch, E.Schwegler and G.G., JPC-B 2007 and JCP (accepted); G.Cicero, J.Grossman, E.Scjwegler, F.Gygi and G.G. (submitted); M.Sharma, D.Donadio, E.Schwegler and G.G. (submitted).



Liquid water in confined media

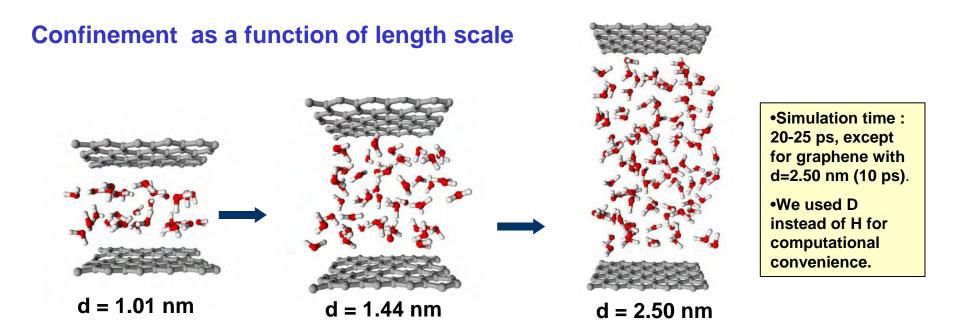


Understanding how the physical properties of bulk water (e.g. hydrogen bond) network, diffusion, freezing point) are modified under confinement is relevant to a variety of outstanding scientific problems, including:

- » Studies of stability and enzymatic activity of proteins
- » Oil recovery
- » Nano-fluidics
- » Heterogeneous catalysis (role of water-substrate interaction)
- » Corrosion inhibition

Computational Strategy





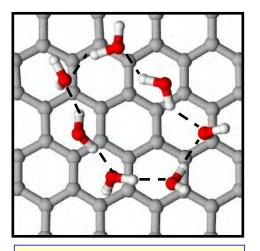
Confinement in more than one dimension

| | | Surface | # Water Molec. | # e⁻ |
|--------------------|---------------------|---|----------------------|------|
| (14x0);d = 1.11 nm | and the second | None | 64 | 512 |
| | all at the second | SiC | 57 | 1288 |
| | | Graphite | 32 | 496 |
| | | Graphite | 54 <mark>(49)</mark> | 672 |
| | | Graphite | 108 | 1104 |
| | A COM | (14,0) CNT | 34 | 1616 |
| | (19x0); d = 1.50 nm | (19,0) CNT | 54 | 1648 |
| | | G.Cicero, J.Grossman, E.Schwegler, F.Gygi and G.G. submitted (2007) | | |



Water confined within graphene and nanotubes

- Perturbation induced by confinement is local
- No ice-like layer at the interface: liquid density increases
- Rarefaction and decrease of density away from the interface
- Dipole moment of water molecule at the interface decreases^(*) → lateral diffusion is enhanced and re-orientational dynamics is faster: Consistent with rapid flow in nanotubes detected in recent experiments



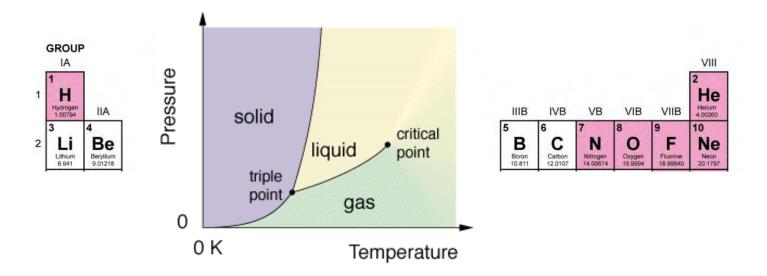
Sticky yet fast water molecules at the interface

• We predict that effects of OH bonds not engaged in hydrogen bonding and changes in librational modes are visible (although weak) in IR spectra. Complex electronic interactions occurs at the interface

G.Cicero, J.Grossman, E.Schwegler, F.Gygi and G.G. 2007 (submitted); M.Sharma, E.Schwegler, D.Donadio and G.G. 2007 (submitted).

(*) Consistent with results obtained for Benzene and HFB in water: M.Allesch, E.Schwegler and G.G. JPC-B 2007.

Understanding phase diagrams of elements and 'simple' compounds



•Difficult to tame: Does diamond melt?

•Hydrogen: a liquid ground state at zero T and high P?

•A spin glass of oxygen molecules ?

•Boron: is there a crystalline ground state?

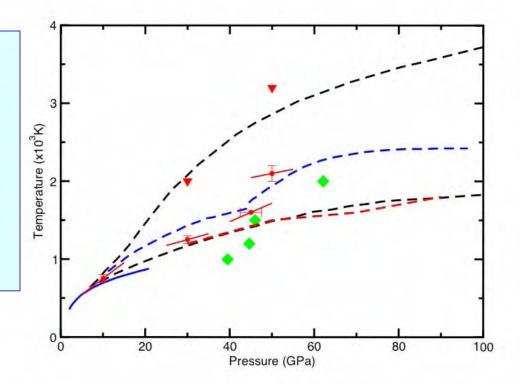




Melting of water under pressure

 Interpretation of experiments and understanding of melting processes

•Solution of existing controversies



Work on more complex oxides and metal-oxides by W.Pickett et al. – beyond DFT, using Dynamical Mean Field Theory



Towards quantum engineering of materials



Simulations of integrated materials with specific functions for realistic devices

Understand, predict and design

Complexity of *design* lies both in defining strategies and algorithms to compute novel properties and in optimizing simultaneously several, interrelated physical and chemical variables.

Additional complexity in software design and optimization.





Some of the most pressing scientific challenges of our age...

Researchers funded through the Office of Science are working on some of the most pressing scientific challenges of our age including: 1) Harnessing the power of microbial communities and plants for energy production from renewable sources, carbon sequestration, and environmental remediation; 2) Expanding the frontiers of nanotechnology to develop materials with unprecedented properties for widespread potential scientific, energy, and industrial applications; Pursuing the breakthroughs in materials science, nanotechnology, biotechnology, and other fields needed to make solar energy more cost-effective; 4) Demonstrating the scientific and technological feasibility of creating and controlling a sustained burning plasma to generate energy, as the next step toward making fusion power a commercial reality; 5) Using advanced computation, simulation, and modeling to understand and predict the behavior of complex systems beyond the reach of some of our most powerful experimental probes, with potentially transformational impacts on a broad range of scientific and technological undertakings; 6) Understanding the origin of the universe and nature of dark matter and dark energy; and 7) Resolving key uncertainties and expanding the scientific foundation needed to understand, predict, and assess the potential effects of atmospheric carbon dioxide on climate and the environment.





Many thanks to my collaborators

- Z.Bai, F.Gygi and W.Pickett, UCD
- W. Cai, Stanford U.
- D.Ceperley, UIUC
- N.Marzari, MIT
- N.Spaldin, UCSB
- Thanks for your attention and your the kind invitation E.Schwegler and J.-L.Fattebert, LLNL.

Computer time: INCITE AWARD (ANL and IBM@Watson), LLNL, NERSC, SDSC

